## Data Streams:

## Introduction

## Mining Massive Datasets

Materials provided by Prof. Carlos Castillo - https://chato.cl/teach Instructor: Dr. Teodora Sandra Buda — https://tbuda.github.io/

## Sources

- Mining of Massive Datasets (2014) by Leskovec et al. (chapter 4)
- Slides part 1, part 2
- Tutorial: Mining Massive Data Streams (2019) by Michael Hahsler


## What is a data stream?

- A potentially infinite sequence of data points
- Each data point can be a tuple or vector
- Examples:
- web click-stream data $\rightarrow$ who clicks on what
- computer network monitoring data
- telecommunication connection data
- readings from sensor nets
- stock quotes

Do not confuse with "streaming," which typically means watching a video while it is being downloaded.

## Example：web server log

```
tecmintoTecMint ~ S tailf /var/log/apacheZ/access.log
127.0.0.1 - - [31/Dct/2017:11:11:37 +053D] "GET / HTTP/1.1" 2a口 729 "-" "Mazill
127.0.0.1 - - [31/Dct/2017:11:11:37 +053口] "GET /icans/blank.gif HTTP/1.1" 200
fox/56.0"
127.0.0.1 - - [31/Dct/2017:11:11:37 +0530] "GET /icans/falder.gif HTTP/1.1" 200
efox/56.0"
127.0.0.1 - - [31/पct/Zロ17:11:11:37 +0530] "GET /icans/text.gif HTTP/1.1" 200 5
0x/56.0"
127.\square.\square.1 - - [31/Dct/2017:11:11:3B + [53口] "GET /favicon.ica HTTP/1.1" 404 500
127.0.0.1 - - [31/0ct/2017:11:12:05 +0530] "GET /tecmint/ HTTP/1.1" 200 787 "ht
\square"
127.\square.\square.1 - - [31/पct/Z017:11:12:05 +[530] "GET /icans/back.gif HTTP/1.1" 200 4
01 Firefax/56.0"
127.\square.0.1 - - [31/Dct/2017:11:13:5B + प53口] "GET /tecmint/Videas/ HTTP/1.1" 200
101 Firefax/56.0"
127.0.0.1 - - [31/Oct/2017:11:13:5B +0530] "GET /icans/campressed.gif HTTP/1.1"
) Gecka/20100101 Firefax/56.0"
127.\square.0.1 - - [31/ロct/2017:11:13:5B + [53口] "GET /icans/mavie.gif HTTP/1.1" 200
\square/Z0100101 Firefax/56.\square"
```


## Key properties of data streams

- Unbounded size
- Data cannot be persisted on disk
- Only summaries can be stored
- Transient
- Single pass over the data
- Sometimes real-time processing is needed
- Dynamic
- May require incremental updates
- May require to forget old data
- Concepts "drift"
- Temporal order is often important



## Applications

- Mining query streams
- A search engine wants to know what queries are more frequent today than yesterday
- Mining click streams
- A newspaper wants to know when one of its pages starts getting an unusual number of hits per hour
- Mining social network news feeds
- A social media platform wants to show trending topics


## Applications (cont.)

- Sensor Networks
- Many sensors feeding into a central controller
- Telephone call records
- Data feeds into customer bills as well as settlements between telephone companies
- IP packets monitored at a switch
- Gather information for optimal routing
- Detect denial-of-service attacks


## Why not simply use a relational DB?

| Relational DBMS | DSMS (Stream) |
| :--- | :---: |
| persistent relations | transient streams |
| only current state is important | history matters |
| not real-time | real-time |
| low update rate | stream! |
| one time queries | continuous queries |

## Why do we need new algorithms?

|  | Traditional | Stream |
| :--- | :---: | :---: |
| passes | multiple | single |
| processing time | unlimited | restricted |
| memory | disk | main memory |
| results | typically accurate | approximate |
| distributed | typically not | often |

## A generic

 stream-processing architectureAd-Hoc
Queries

Input streams
Each is stream is composed of elements/tuples


## Load shedding

## Too much data? Ignore some of it



## Sampling a fixed proportion

## Sampling a fixed proportion

- Example stream: <user, query, timestamp> from a search engine query log
- Suppose we have space to store $1 / r$ of the stream
- E.g.: 1/10th, 1/100th, 1/1000th,
. Naïve solution:
- Generate uniform random number in $0 . . .(r-1)$
- numpy.random. uniform ( $0, r$ )
- If the number is 0 , keep the item


## What can we do with this sample?

- Approximate most frequent query
- Pick the most frequent in the sample
- Approximate frequency of a query
- Multiply observed frequency by $r$
. Do people ask query $q$ ?
- Approximate answer (with some prob. of error)


## Exercise: sampling at a fixed rate

- We want to tell if we have seen item $q$
- Suppose we have seen $n$ items
- Suppose we have sampled a fraction $1 / r$
- Suppose item $q$ appears with probability $p(q)$
- Can we observe a ...
- False Positive? (Item q was not in the stream but we said it was)
- False Negative? (Item q was in the stream but we said it was not)


## Answer

- We want to tell if we have seen item q
- Suppose we have seen $n$ items
- Suppose we have sampled a fraction $1 / r$
- Suppose item $q$ appears with probability $p(q)$
- Can we observe a ...
- False Positive? NO. We cannot observe an item that is not.
- False Negative? YES. We can miss an item that is there.


## What can we do with this...? (cont.)

- Approximate num. queries per minute

- Peak frequency
- Multiply observed peak by r


## There are questions we cannot answer with this sampling method

- What fraction of queries by an average search engine user are duplicates?
- Suppose each user issues $x$ queries once and dqueries twice (total of $x+2 d$ queries)
- Correct answer: $d /(x+d)$
- Proposed solution: We keep $1 / 10^{\text {th }}$ of the queries $(r=10)$
- Sample will contain $x / 10$ of the singleton queries at least once
- Sample will contain $2 \mathrm{~d} / 10$ of the duplicate queries at least once
- Sample will contain d/100 pairs of duplicates

$$
\text { . } \quad d / 100=1 / 10 \cdot 1 / 10 \cdot d
$$

- Of the d duplicates, $18 \mathrm{~d} / 100$ will be seen once*


[^0]
## There are questions we cannot answer with this sampling method (cont.)

- What fraction of queries by an average search engine user are duplicates?
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Observed duplicates


WRONG!
$d$
$10 x+19 d$

- So the sample-based answer is


## Sampling tuples at random by one attribute

Suppose we need to sample $1 / r$ of users and all of their actions

## How do we do this?

<user1, action, timestamp> <user2, action, timestamp> <user2, action, timestamp> <user3, action, timestamp> <user1, action, timestamp> <user3, action, timestamp> <user2, action, timestamp> <user1, action, timestamp> <user2, action, timestamp>

## How do we solve it?

- We need to sample $1 /$ r of users and all of their actions
. How do we do this?
- Hashing!
- Given <user, action, timestamp>
- Compute h(user) $\rightarrow 0,1, \ldots,(r-1)$
- Keep tuple if hash value is 0
<user1, action, timestamp> <user2, action, timestamp> <user2, action, timestamp> <user3, action, timestamp> <user1, action, timestamp> <user3, action, timestamp> <user2, action, timestamp> <user1, action, timestamp> <user2, action, timestamp>


## In general ...

. To sample a fraction $a / b$ of a stream by key
. Compute $h($ key $) \rightarrow 0,1, \ldots,(b-1)$
. Keep if $\mathrm{h}($ key $)$ < a


## Summary

## Things to remember

- What is a data stream
- How to sample a fixed percentage of values grouped by a key, using hashing


## Exercises for TT22-T26

- Mining of Massive Datasets (2014) by Leskovec et al.
- Exercises 4.2.5
- Exercises 4.3.4
- Exercises 4.4.5
- Exercises 4.5.6


[^0]:    * Copy $A$ is in the selected part, copy $B$ in the unselected part, or viceversa

